



A Mixed Fracture-Matrix Model for Evaluating Well Orientation and Completion Options for the Utah FORGE Site

October 2021

Changing the World's Energy Future

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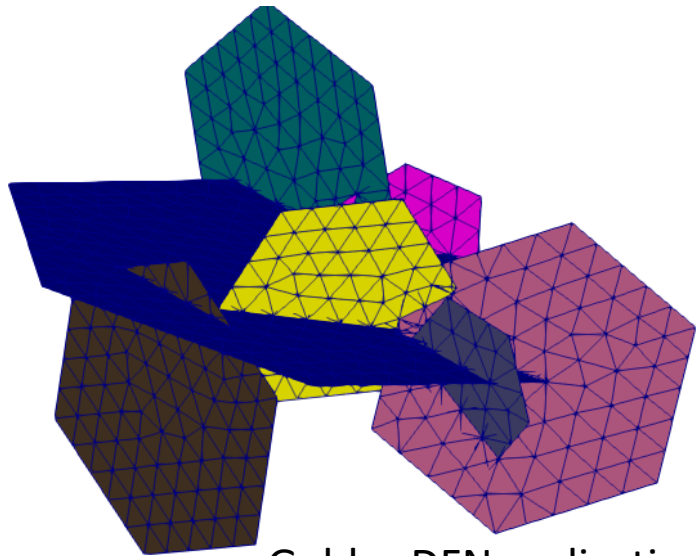
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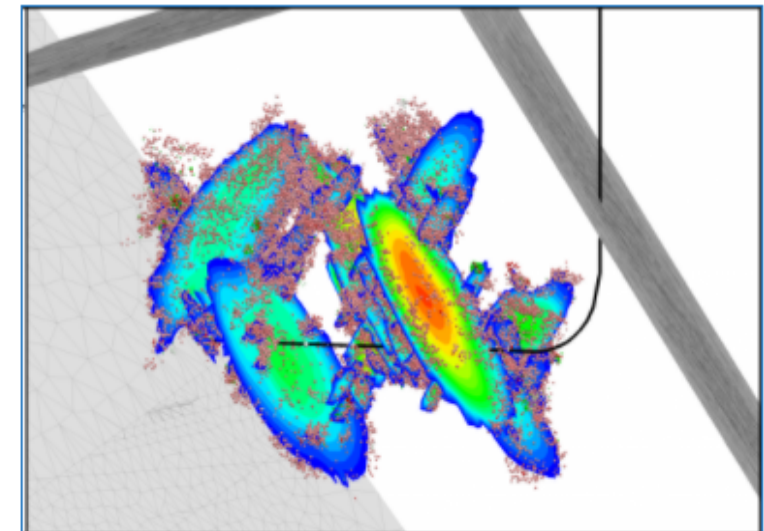
^aIdaho National Laboratory, ^bCSIRO Australia, ^cGolder Associates, ^dITASCA, ^eNREL

Motivation

- Simplify DFN modeling workflow
- Efficiently simulate long term performance of geothermal reservoir
 - Simulation of several DFN realizations (Golder)
 - Simulation of stimulated DFNs (ITASCA)



Golder DFN realization



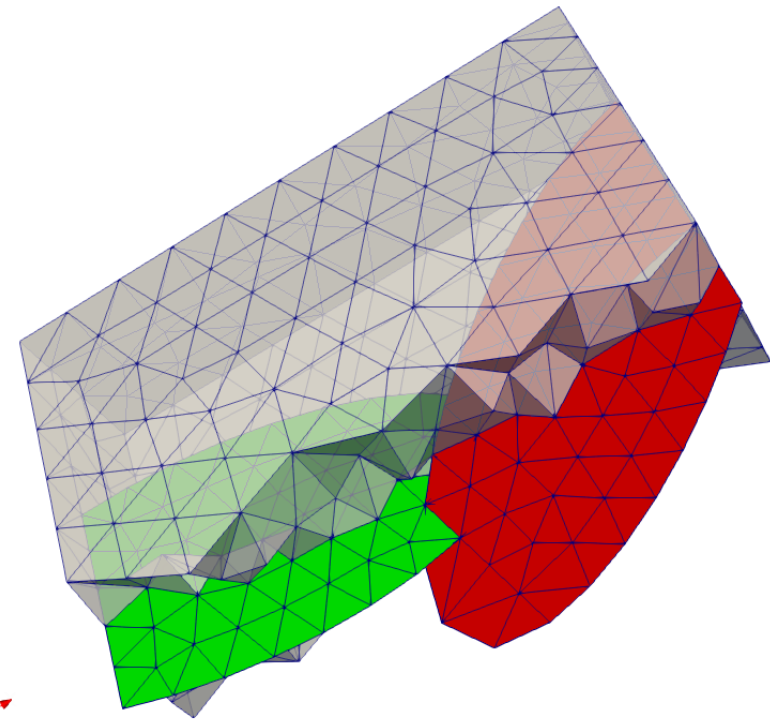
ITASCA

3DEC model of a geothermal site showing shear displacements along existing fractures and synthetic (predicted) microseismicity.

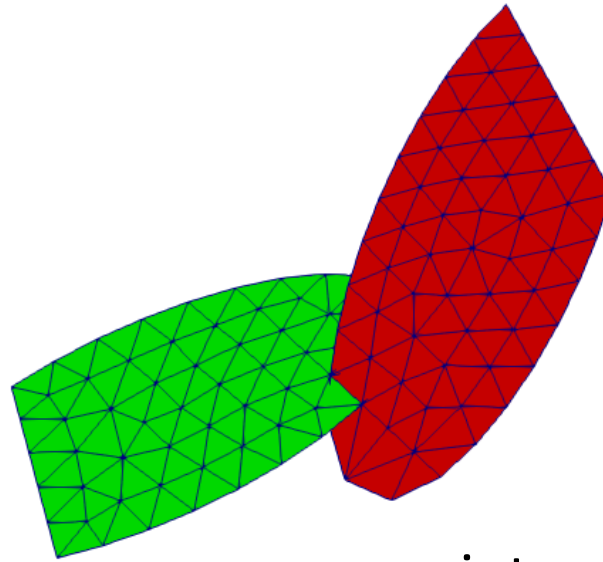
<https://utahforge.com/2021/01/28/partner-spotlight-itasca/>

Loose Coupling Algorithm in MOOSE-FALCON

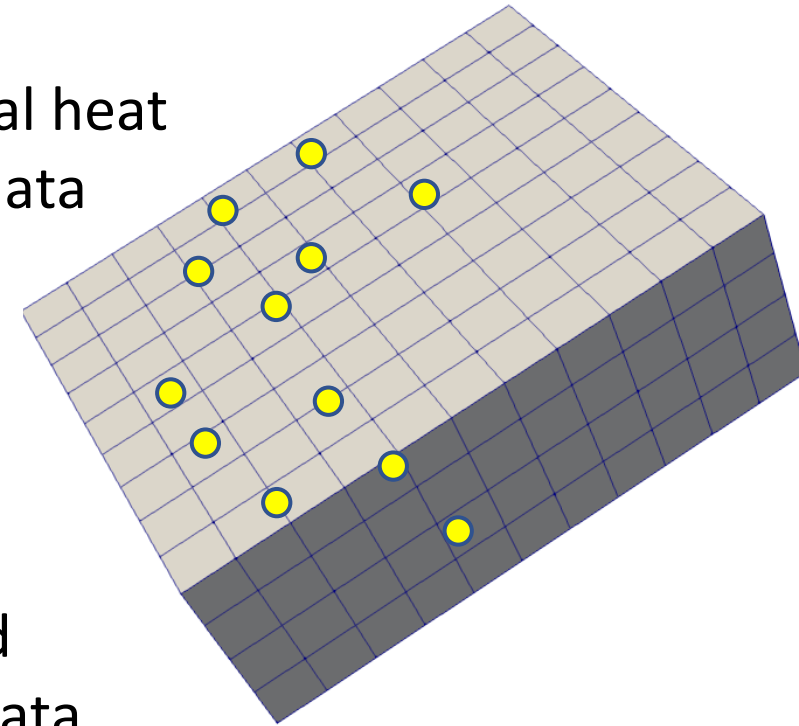
Conformal mesh for tightly coupled simulation



DFN Mesh



nodal heat data



interpolated temperature data

https://mooseframework.inl.gov/modules/porous_flow/flow_through_fractured_media.html

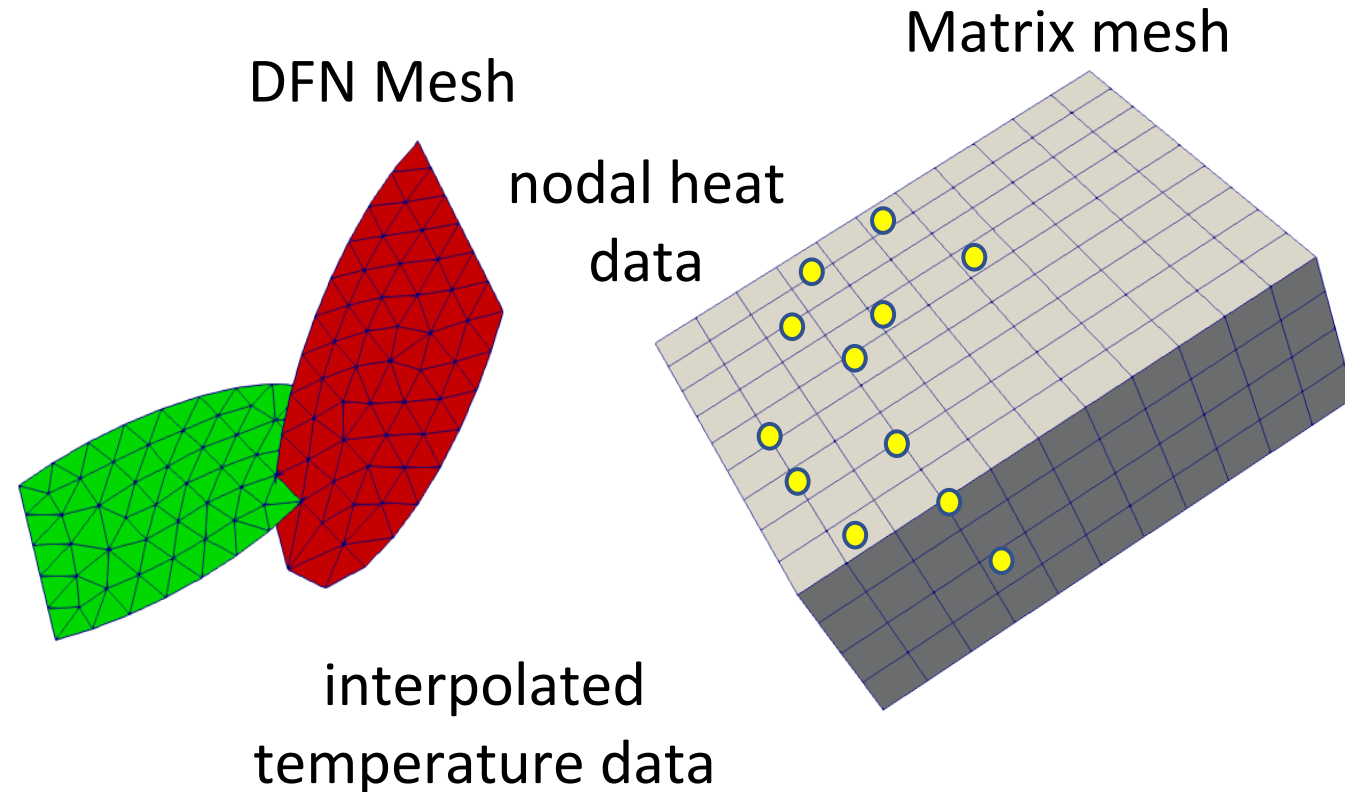
Loose Coupling Algorithm in MOOSE-FALCON

Uses MOOSE MultiApp System:

- Sets up separate computational domains (sub-apps)
- Methods for passing and applying data between domains

Assumptions:

- Matrix properties not affected by Fracture (small fracture aperture)
- Flow through fracture much higher than matrix (insulated BCs on DFN)



Loose Coupling Algorithm in MOOSE-FALCON

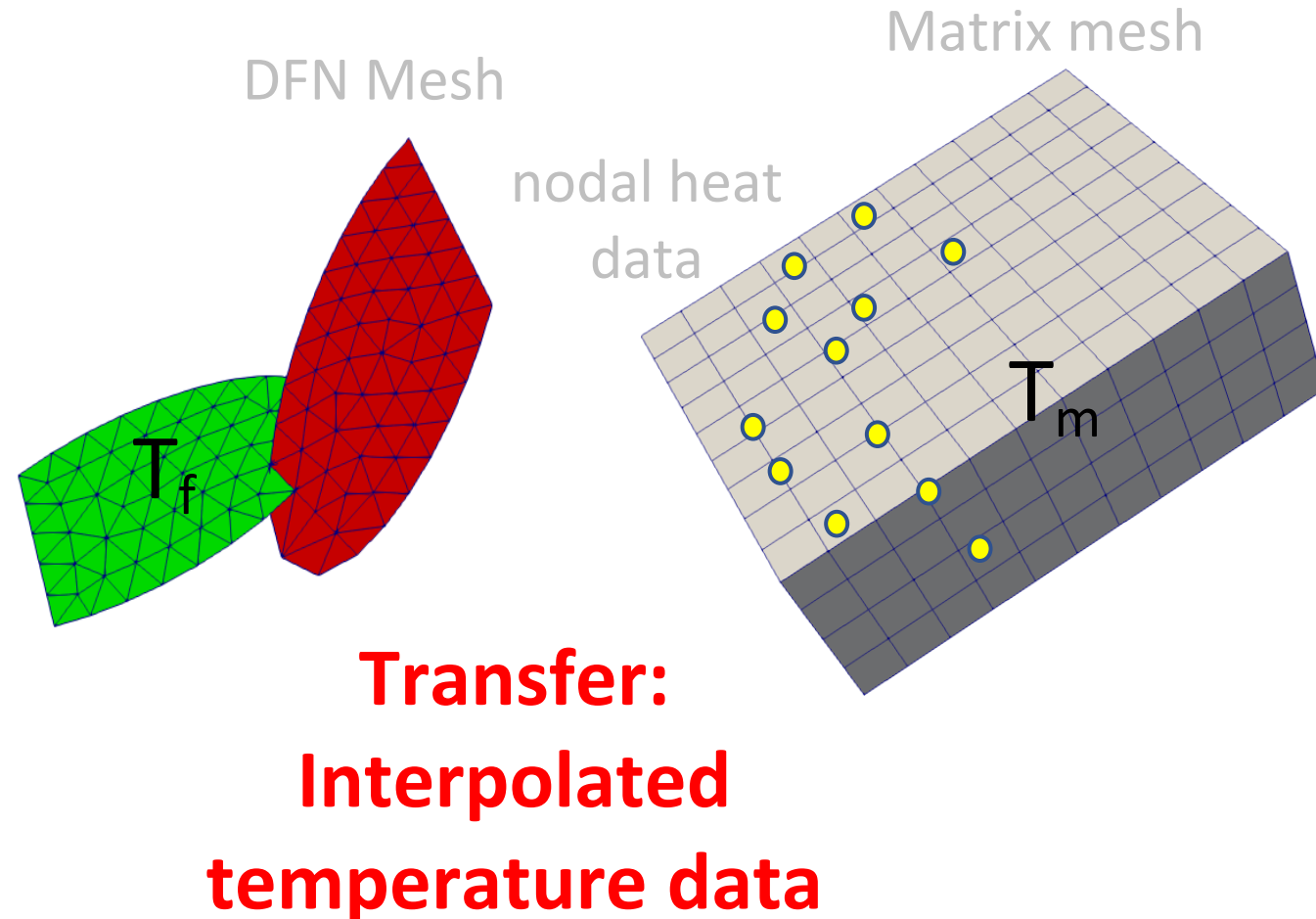
Step 1:

Interpolate Matrix mesh temperature field, T_m , to every node on DFN.

Compute heat transfer from Matrix to DFN based on the temperature difference.

$$Q = h(T_f - T_m)$$

where heat transfer coeff: $h = 2\lambda/L$
 L is the matrix mesh element length
 λ matrix thermal conductivity



Loose Coupling Algorithm in MOOSE-FALCON

Step 2:

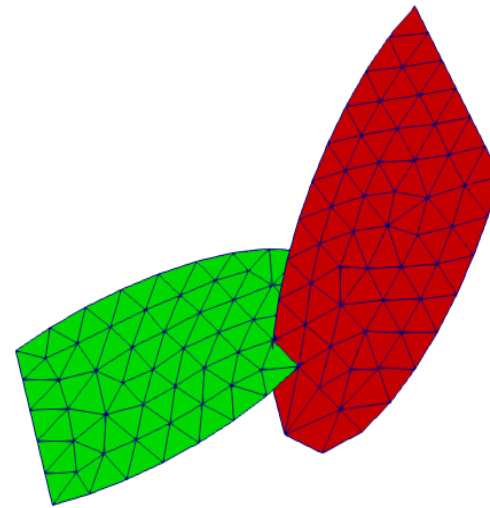
Solve DFN physics.

- Pore pressure and heat diffusion
- Water equation of state
- permeability a function of aperture

$$a = a_0 + A(P - P_0)$$

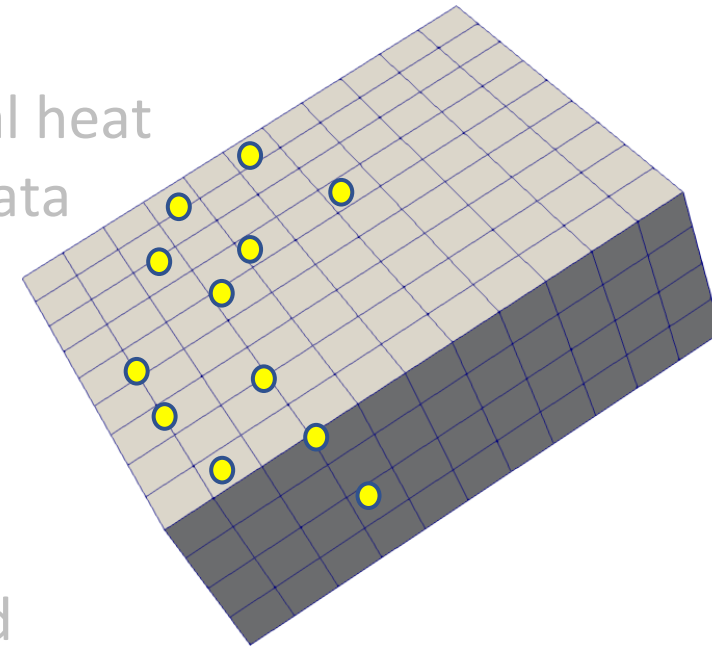
Note: Using constant a_0 . Future work to include thermal stimulation and variable a_0

Solve:
DFN Mesh



nodal heat
data

Matrix mesh



interpolated
temperature data

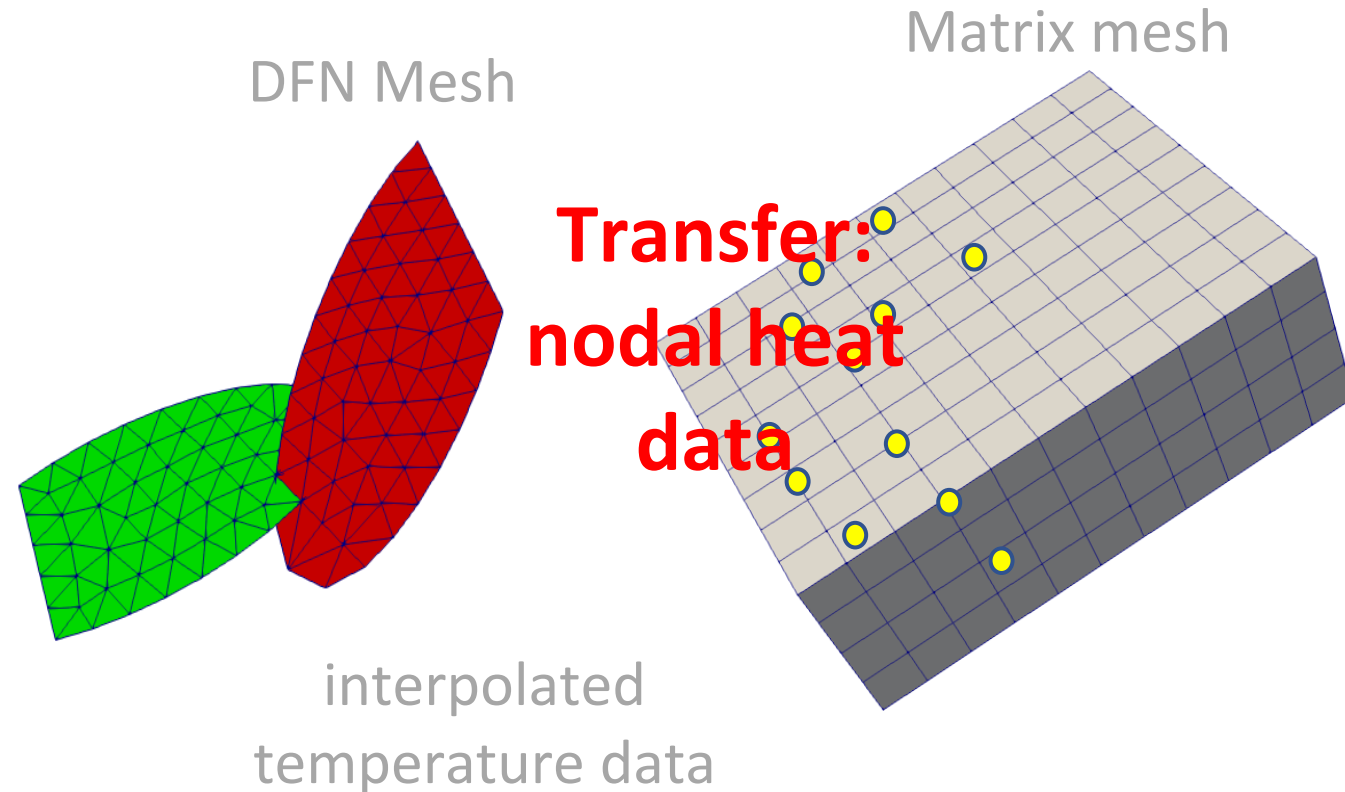
DFN physics are “fast” compared to matrix so multiple small DFN timesteps are taken per larger matrix timestep

Loose Coupling Algorithm in MOOSE-FALCON

Step 3:

Apply the same Q applied to the fracture mesh in step 1 onto the Matrix mesh

-every DFN node produces a point load in the matrix mesh



Loose Coupling Algorithm in MOOSE-FALCON

Solve:

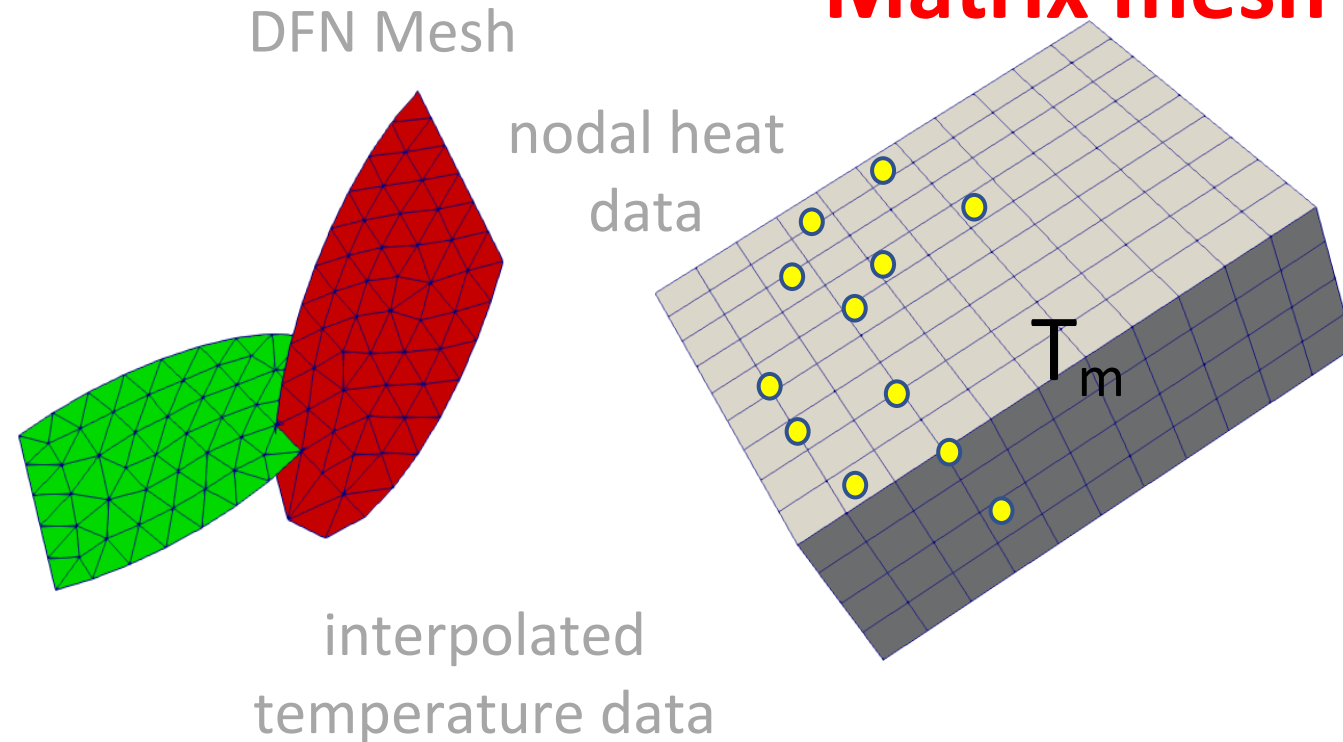
Matrix mesh

Step 4:

Solve matrix physics to get a new matrix temperature, T_m .

This completes a timestep

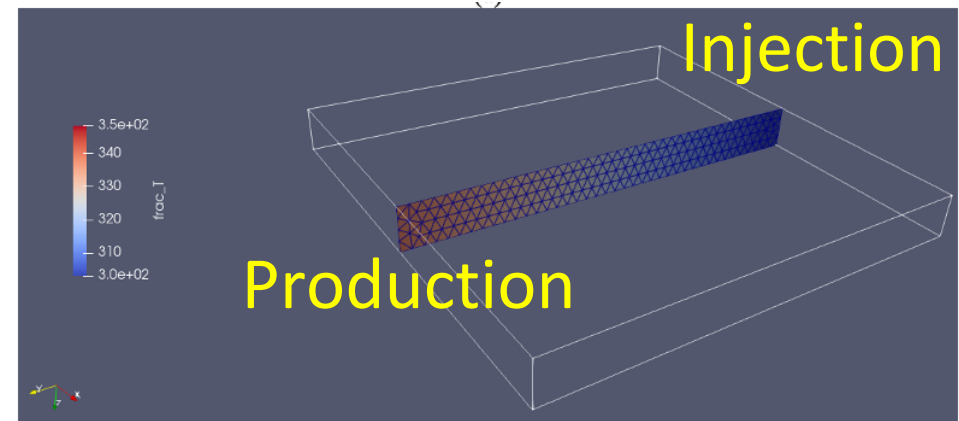
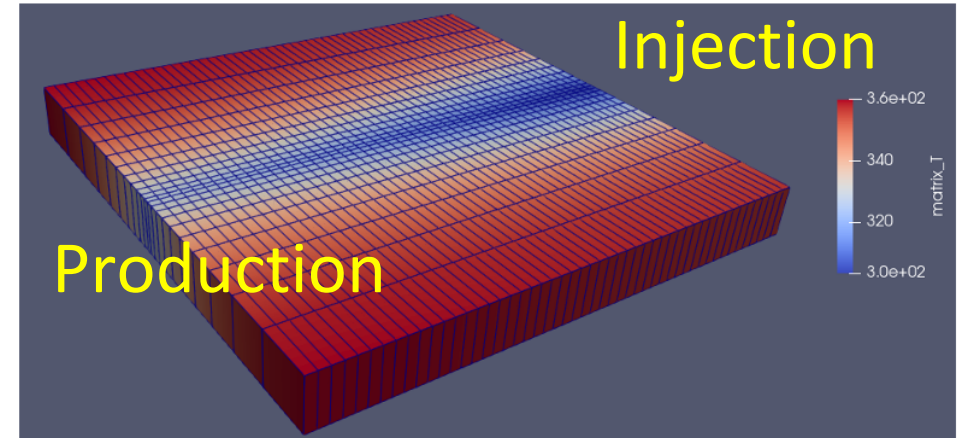
Could iterate within a timestep but results suggest it is not necessary



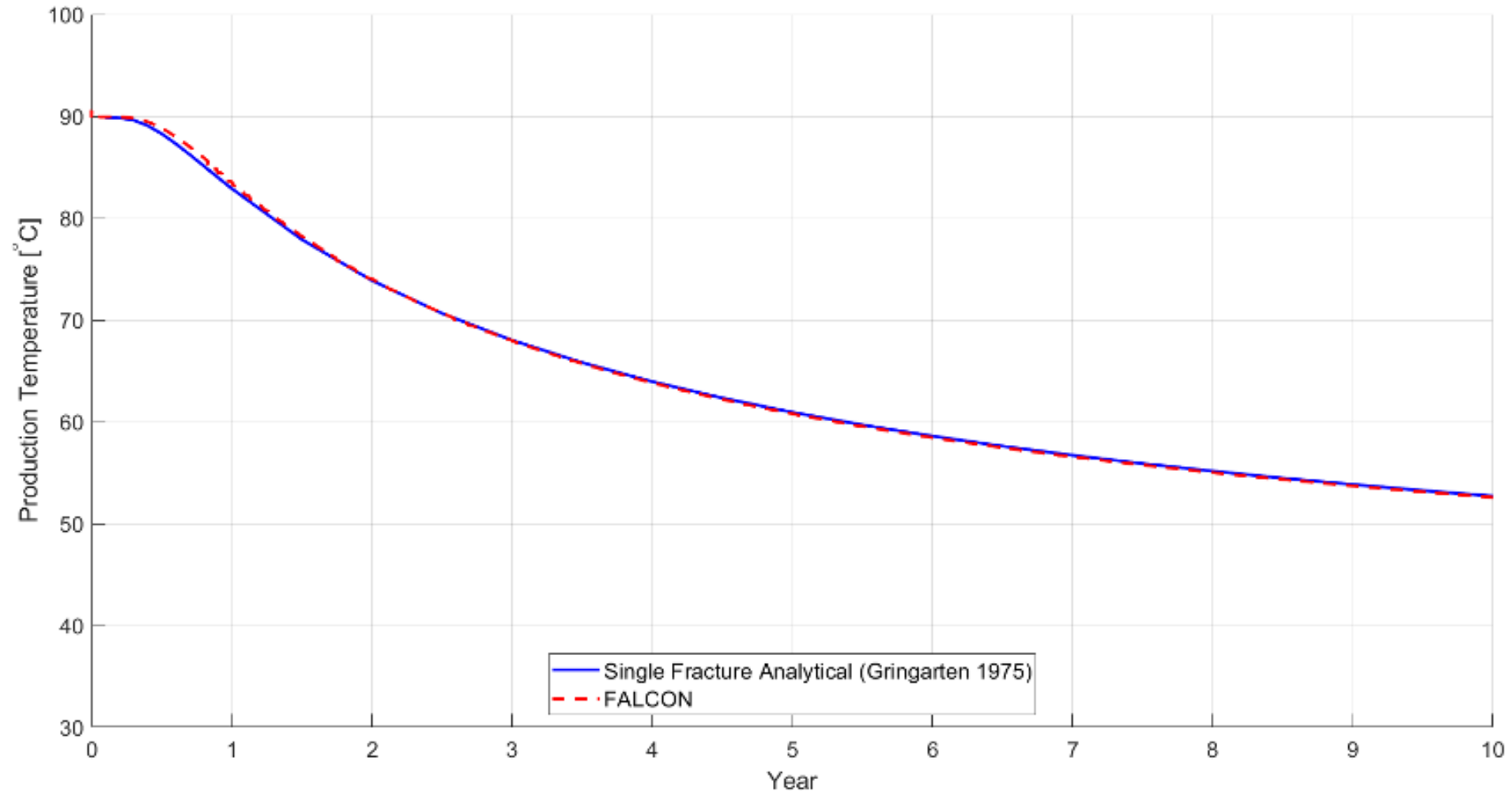
Verification to Gringarten Solution (1975)

Parameter	Value
Rock initial temperature	90°C
Rock density	2875 kg/m ³
Rock heat capacity	825 J/kg-K
Rock thermal conductivity	2.83 W/m-K
Rock permeability	1e-16 m ²
Rock porosity	0.1
Water Flow rate	0.1 kg/s
Water Injection Temperature	30°C
Domain Length	100 m
Domain Width	100 m
Domain Height	10 m
Well spacing	100 m

Temperature field after 3 years

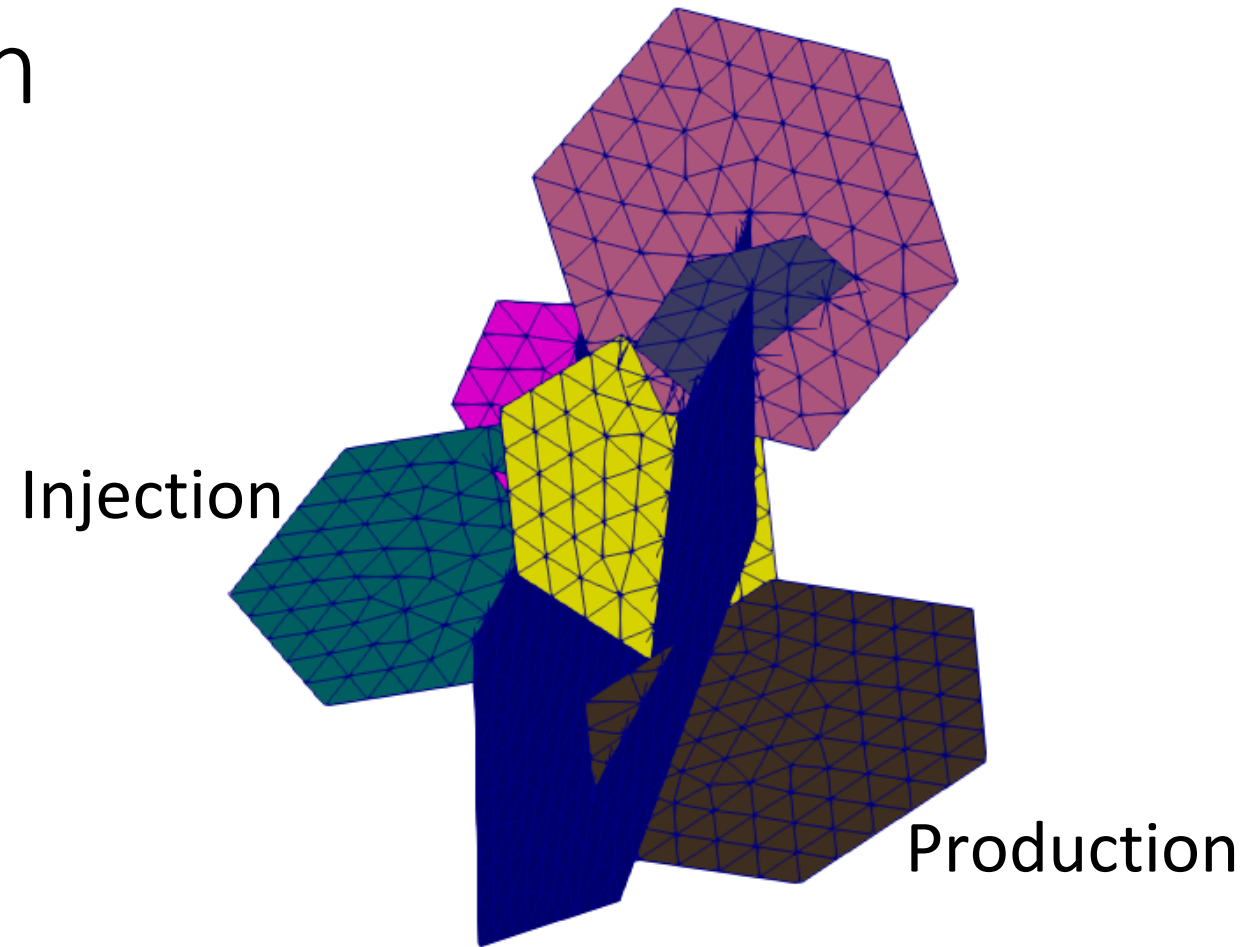


Verification to Gringarten Solution (1975)



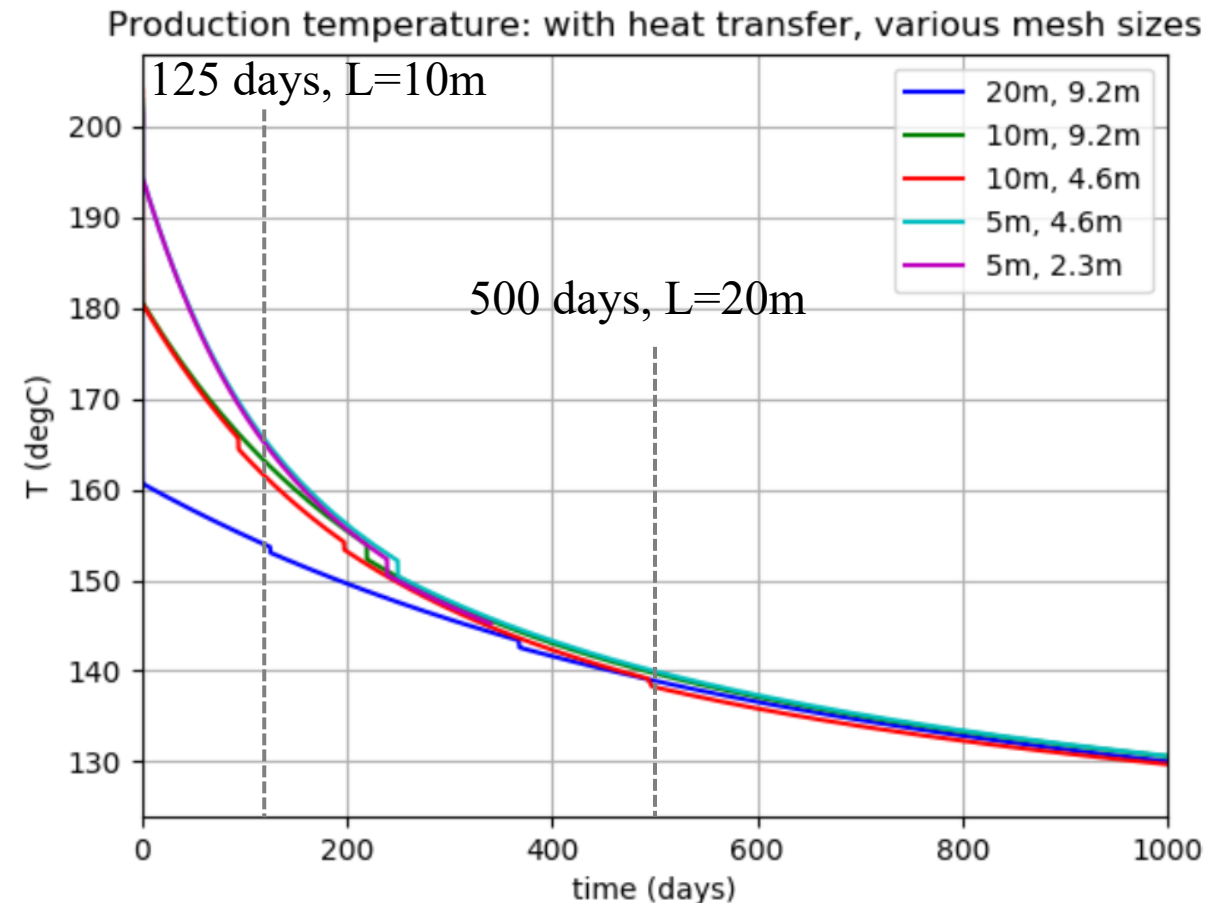
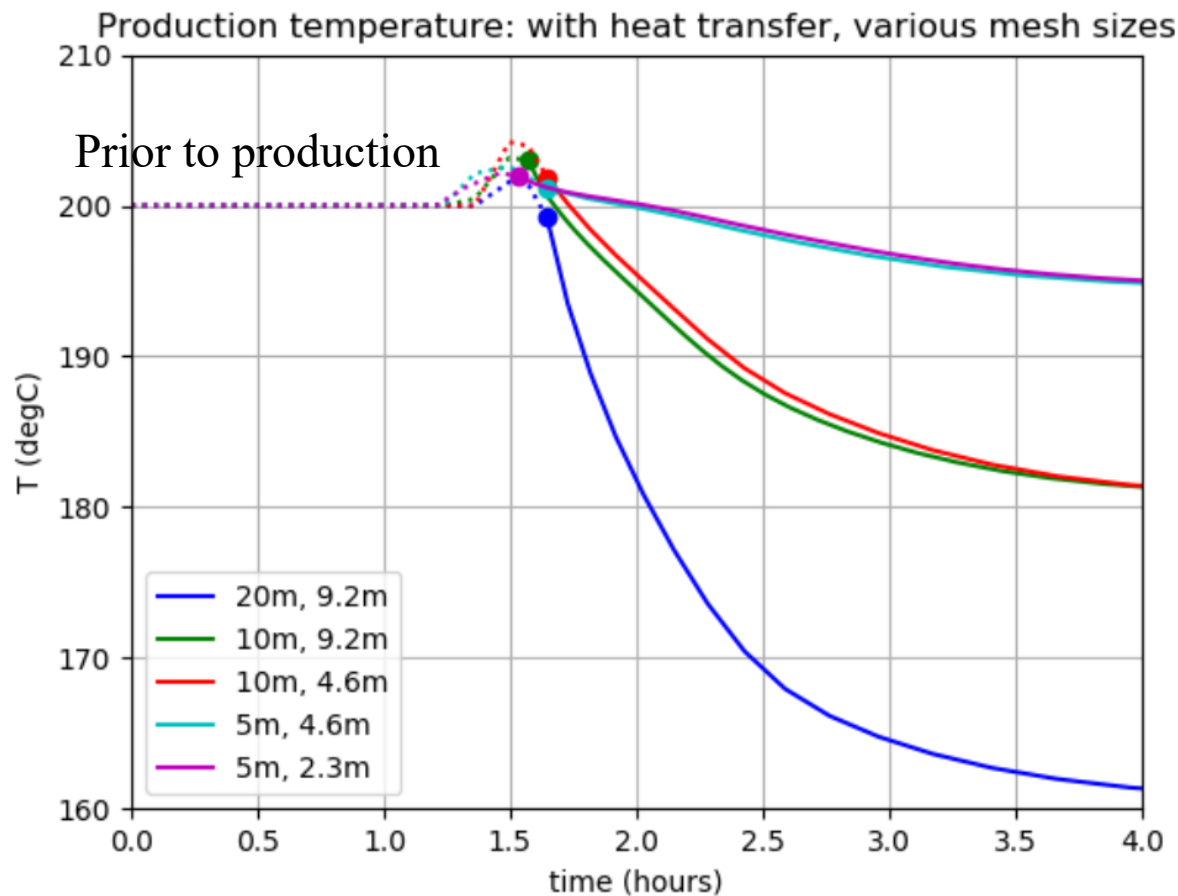
Example DFN Simulation

- DFN:
 - 12 fractures ranging in size 40-150m
 - Permeability: $1e-12$
- Matrix:
 - 220x170x220m – mesh 20-5m
 - Permeability: $1e-18 \text{ m}^2$
 - $\lambda = 5 \text{ W m}^{-1} \text{ K}^{-1}$ scaled by element length
 - $P = 10 \text{ MPa}$, $T = 200^\circ \text{C}$
- Injection: 10 kg.s^{-1} , 100°C
- Production: 10 kg.s^{-1}



Example DFN Simulation: Production Temperature

Time Scale based on Element Size: $t \sim c\rho\lambda^{-1}L^2$; $L=20,10,5\text{m}$ results in $t \sim 500,125,5$ days



Example DFN Simulation: Fracture Aperture Changes

Change in fracture
aperture after 1000 days

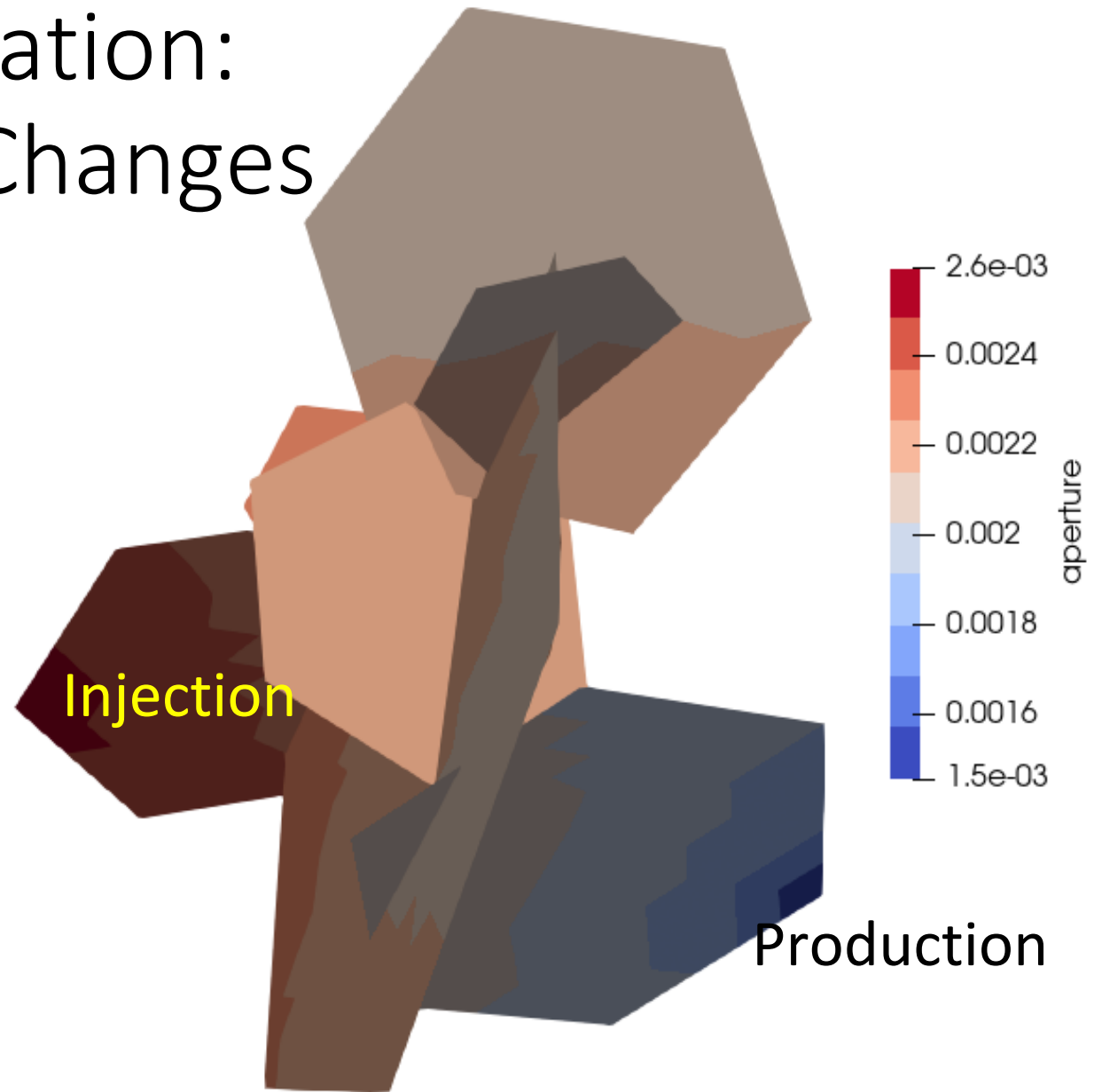
$$a = a_0 + A(P - P_0)$$

$$a_0 = 1 \text{ mm}$$

$$A = 10^{-3} \text{ m.MPa}^{-1} \text{ (a pressure increase of 1MPa dilates the fracture by 1mm)}$$

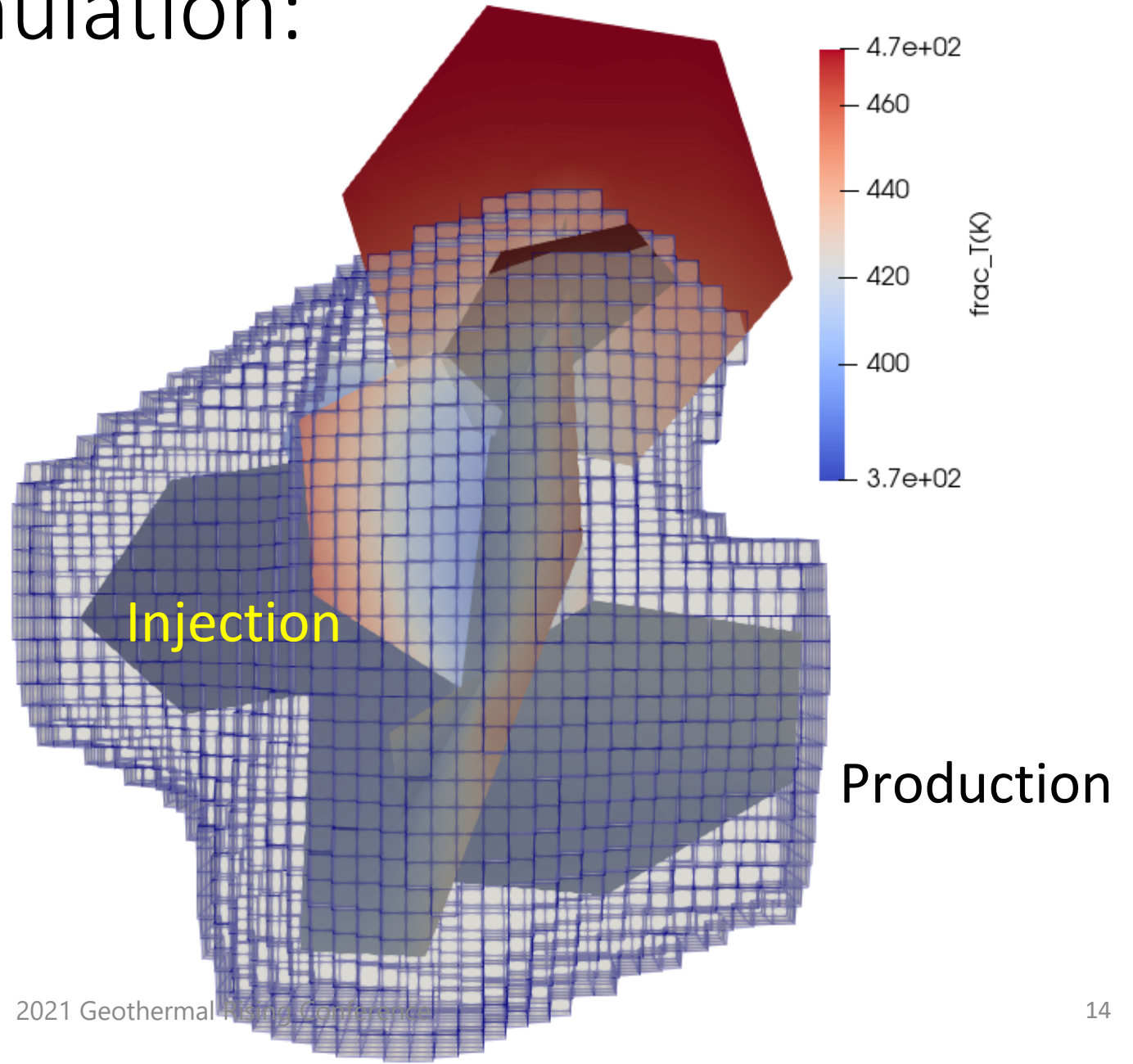
$$P_0 = 10 \text{ MPa (hydrostatic insitu value)}$$

The permeability of the fracture is proportional to a^2 , with insitu permeability of 10^{-11} m^2 when $a = a_0$



Example DFN Simulation: Matrix Cooling

Matrix elements
shown cooled by 10C
after 1000 days of
production

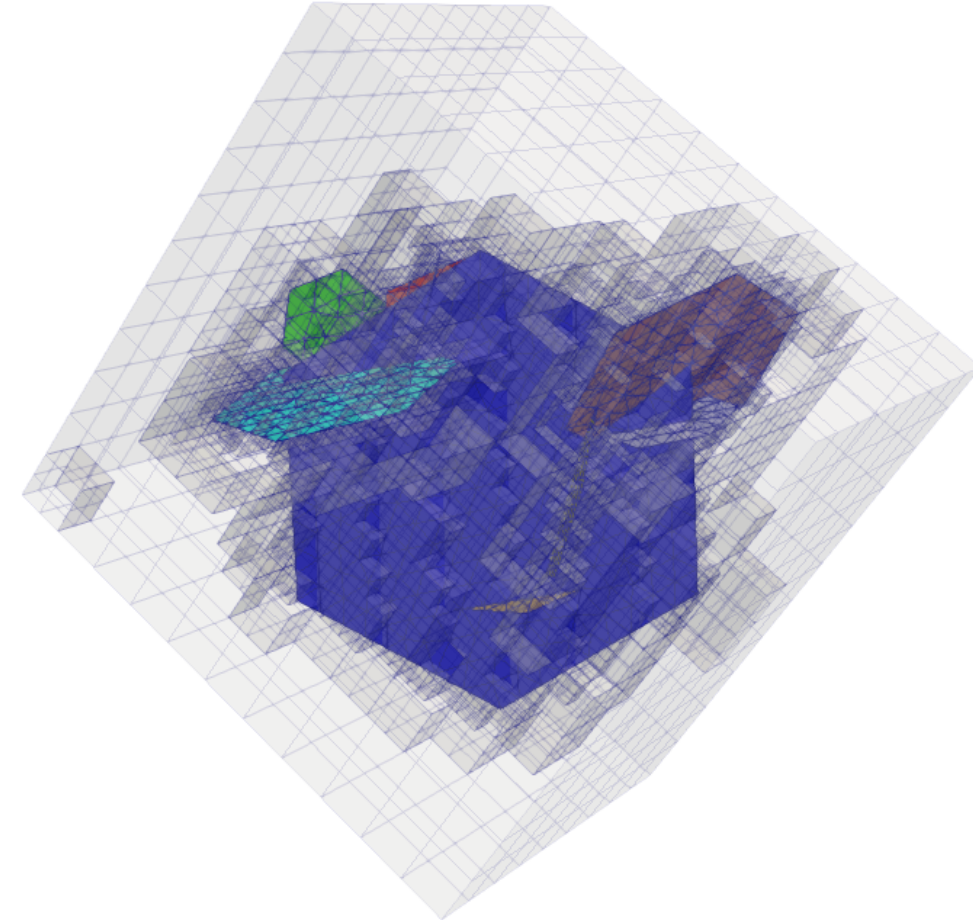
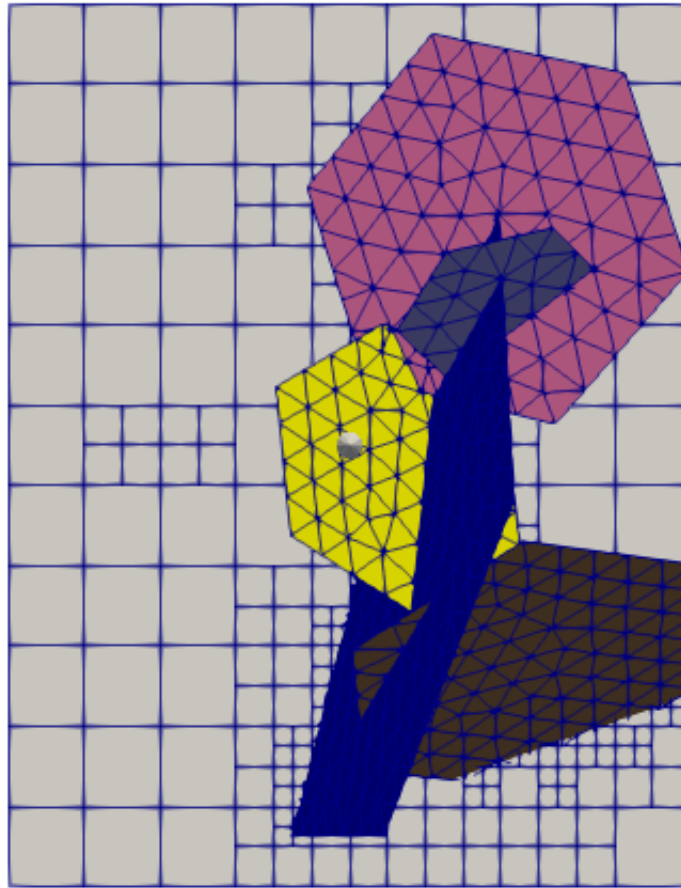


Example DFN Simulation: Matrix Automatic Mesh Refinement (AMR)

Initial Mesh (20m):
1,089 elements

Two levels of uniform
refinement (5m):
69,696 elements

Matrix with 20m mesh
AMR with 2 levels of
refinement (5m):
6,913 elements



Example DFN Simulation: Matrix AMR Timings

Matrix Refinement	Number of Matrix Elements	Run Time (minutes)	Matrix Total Nonlinear Iterations	Fracture Total Nonlinear Iterations
Original (20m)	1089	5.3	441	2572
Refine 1 (10m)	8712	18.0	441	2448
Refine 2 (5m)	69696	191.8	441	2351
AMR 1 (10m)	2286	7.7	441	2444
AMR 2 (5m)	6906	20.2	441	2375
Refine 2 (5m) (noSubCycle)	69696	717.7	1690	3279

For two levels of refinement (5m matrix elements)

- Substepping in fracture 3.7x speed up
- AMR 9.6x speed up

Future Work

- Run for stimulated DFNs with variable aperture data
- Add thermal contraction to aperture function
- **Simulate long-term geothermal performance of FORGE site with realistic DFNs**
 - Incorporate ITASCA simulation results for 16a stimulation
 - Incorporate results of actual stimulated fracture volume from the upcoming field experiments